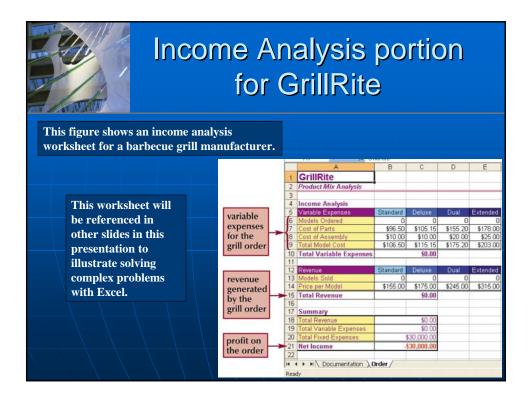


Formulate a problem

- Solver is an Excel tools that can help us solve complex, multi-variable problems.
- A typical multi-variable problem is optimizing the mix of several different products to be manufactured, stocked, and/or sold by a factory or business.
- In order to solve such a problem in Excel, it is first necessary to create an Excel workbook showing all of the interrelated facts.



G	rill Parts	s Inv	/ent	iory	
	Parts Inventory				
	Description	Available	Ordered	Remaining	Cost
	Burner (Main)	1411	0	1411	\$12.15
	Burner (Side)	957	0	957	\$8.25
This figure shows a grill parts	Chassis (Extended)	781	0	781	\$65.25
inventory worksheet that will also be referenced in other	Chassis (Standard)	877	0	877	\$35.50
slides in this presentation.	Control Dial	2671	0	2671	\$2.50
	Gas Tubing	2321	0	2321	\$3.50
	Igniter	2217	0	2217	\$2.25
	Igniter Button	1012	0	1012	\$5.20
	Rack (Main)	1417	0	1417	\$10.30
	Rack (Side)	723	0	723	\$6.30
	Rack (Top)	710	0	710	\$6.15
	Support Stand	1388	0	1388	\$25.10
			/ /		



- The problem addressed in this example is to optimize the profit that a grill manufacturing plant can make, by balancing the number of each kind of grill against inventory and revenue.
- Note the following factors :
 - The cost, both in parts and labor, to produce each kind of grill
 - The selling price of each grill
 - The total income

Chille 1

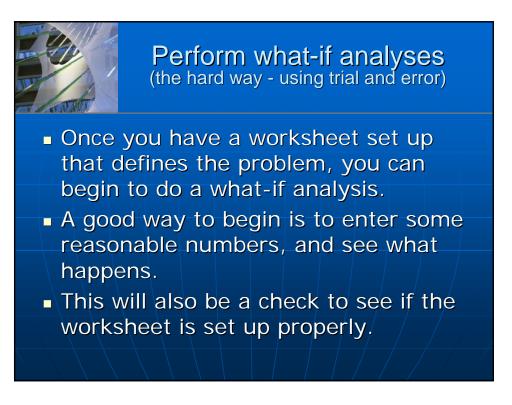
- The current inventory of all parts
- A chart of how many of each part are needed by each grill type

Mix-optimizing problem considerations

In every mix-optimizing problem, the constraints or requirements must be defined.

In our example, the solution must meet the following requirements:

- 1. There must be enough of each kind of grill to fill the current orders
- 2. No further parts can be ordered or manufactured, so no more grills can be manufactured once a part type is exhausted
- 3. The company wants a mix that will maximize profits

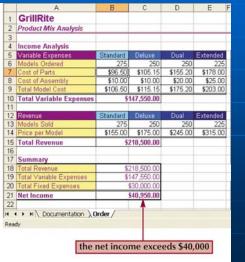


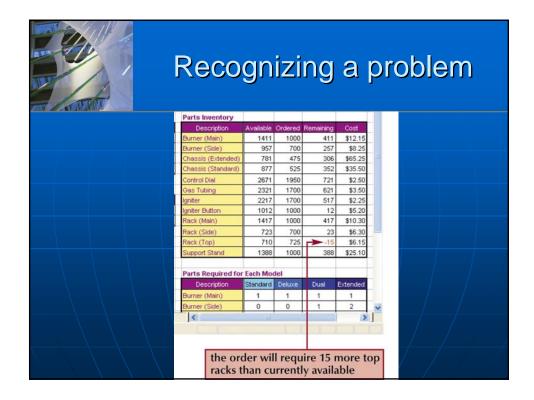
An income analysis for an order

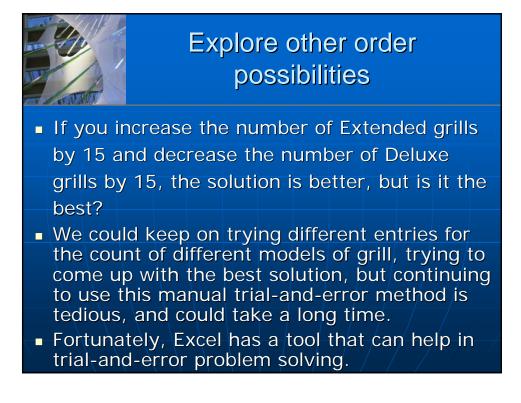
				Ordering	g enough gri	lls to e	cover	existin	ig ord	ers	Figur	e 10-3
Microsoft Excel - Grill2										×		
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					31課課(田・	3 • A	•					
87 - 14	=SUMPRODU	ICT(\$K\$6:\$1	(\$17,H21:H	(32)								
A	В	С	D	EF	F G	н	1	J	K	-		
GrillRite												
Product Mix Analysis												
	2											
Income Analysis					Parts Inventory							
Variable Expenses	Standard		Dual	Extended	Description	Available	Ordered 1	Remaining	Cost			
Models Ordered	125	100	100	75	Burner (Main)	1411	400	1011	\$12.15			
Cost of Parts	\$96.50	\$105.15	\$155.20		Burner (Side)	957	250	707	\$8.25	-		
Cost of Assembly	\$10.00	\$10.00	\$20.00	\$25.00	Chassis (Extended)	781	175	606	\$85.25	- 1		
Total Model Cost	\$106.50		\$175.20	\$203.00	Chassis (Standard)	877	225	652	\$35,50	-		
Total Variable Expen	ses	\$57,572.50			Control Dial	2671	750	1921	\$2.50	-		
Revenue	Standard	Deluxe	Dual	Extended	Gas Tubing Ionter	2321	650	1567	\$2.25	-		
Models Sold	125	100	100	75	lanter Button	1012	400	612	\$5.20	-		
Price per Model	\$155.00		\$245.00		Rack (Main)	1417	400	1017	\$10.30			
Total Revenue		\$85,000.00		and a second second	Rack (Side)	723	250	473	\$6.30			
					Rack (Top)	710	275	435	\$6.15			
Summary					Support Stand	1388	400	988	\$25.10			
Total Revenue		\$95,000.00				1						
Total Variable Expense		\$57,572.50			Parts Required for	Each Moo	iel					
Total Fixed Expenses		\$30,000.00			Description	Standard	Deluxe	Dual	Extended			
Net Income		-\$2,572.50			Burner (Main)	1	1	1	1			
	1	1.000			Burner (Side)	0	0	1	2	~		



more grills of each kind can be manufactured? What if we add 150 to the count of each model and order that many? This figure shows what happens with a guess—a what-if of 150 more of each model. The net income looks very good.

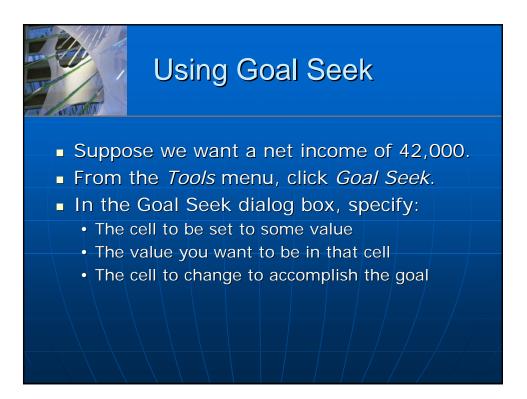


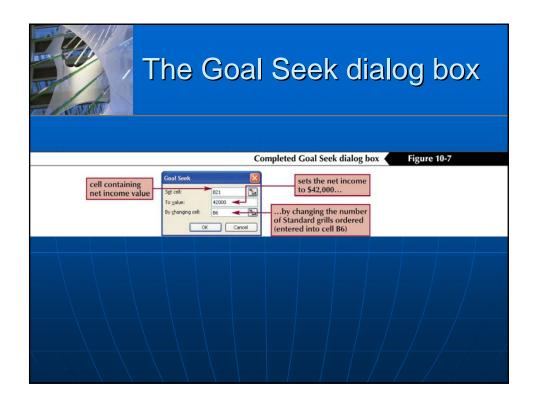


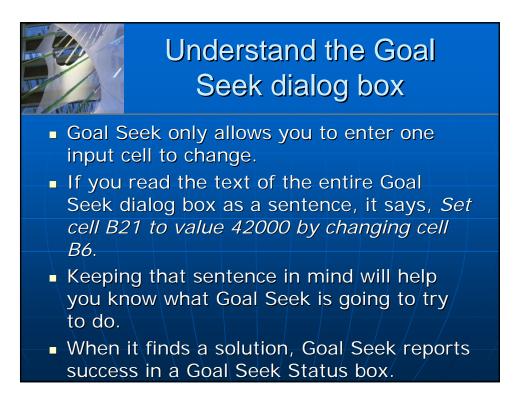


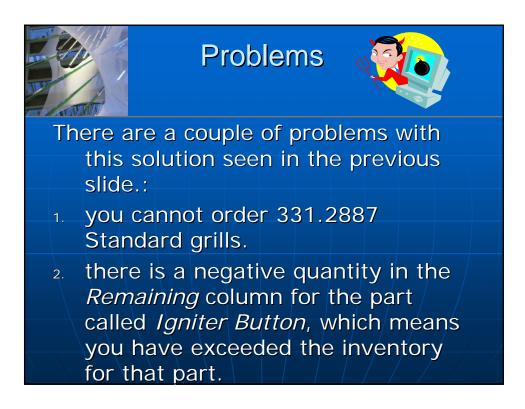
Goal Seek - automates the trial-and-error process

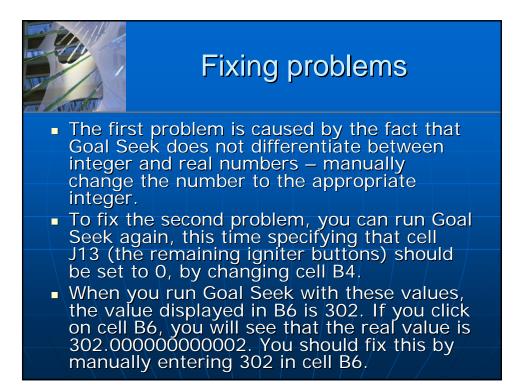
- When you use Goal Seek, you specify the result you want, and Goal Seek changes the value in an input cell to arrive at that result.
- With Goal Seek, we specify the net income we want, and tell Goal Seek to change one of the inputs until it arrives at that goal.









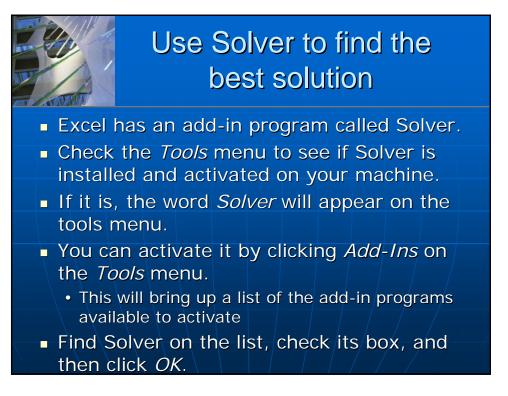


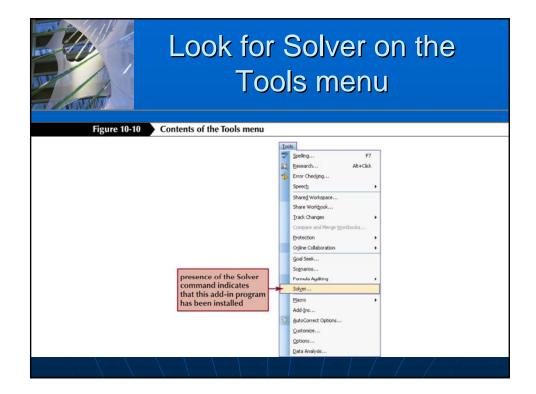
The final Goal Seek solution

- After making the changes shown in the previous slide, check the inventory status, to see if there are any negative numbers.
- The number of igniter buttons remaining is zero; this product mix uses them all.
- Now, check the net income. It has fallen from \$42,000 to just a little over \$40,500, but we do have a workable solution that satisfies the first two constraints:
 - All current orders can be filled
 - The supply of parts has not been exceeded

Did Goal Seek provide the final answer?

- Goal Seek helped find a solution that worked, but remember that our problem is to find the best solution—the one that yields the maximum net income.
- We could do several trials using Goal Seek, and see which one of them is better, but we won't know that we have found the best one.
- The only way to be absolutely sure that you have found the best solution using the trial-and-error method is to create all the solutions and then pick the best one.
- In the current problem, there are thousands of different combinations, certainly more than we want to run.







Information required by Solver

Solver needs four types of values that you will enter into the Solver Parameter dialog box:

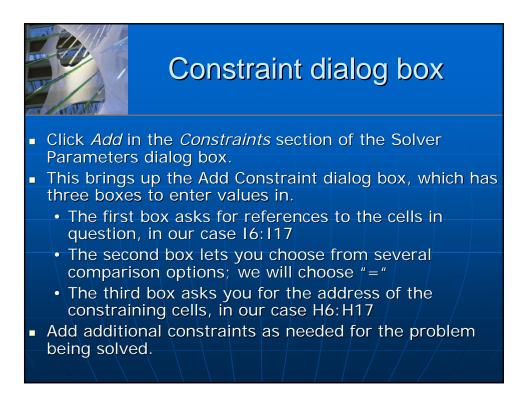
- 1. It needs the address of the target cell.
- 2. It needs to know what you want to do with the target cell. You can ask Solver to set the target cell's value to the:
 - greatest possible value
 - the least possible value
 - to a certain value that you enter
- 3. Solver needs to know which cells it can change to arrive at the desired result.
- 4. Solver needs to know what constraints have to be applied to the solution.

	The S		r Para og bo		ers
		Solver	Parameters dialog	g box Figu	re 10-12
target cell whose value is to be maximized cells whose values Solver will change to reach a solution		Cose			

Add Solver constraints

 The first requirement is that the number of each part cannot exceed the available supply of each part.

Since the counts of available parts are in column H, and the count of the parts used in the order are in corresponding places in column I, the constraint is that the value in cell I6 must be less than or equal to the value in cell H6, the value in cell I7 must be less than or equal to the value in cell H7, and so on.



	Viev	w the constraints
Figure 10-16	Adding new const	traints to Solver
	new constraints ->	Solver: Parameters XX Sig Target Cell: Sign: No Solver: Equal To: Sign: Mg Yalve of: Occe Volume of: 0 Occe Occe Occe Occe Volume of: 0 Occe

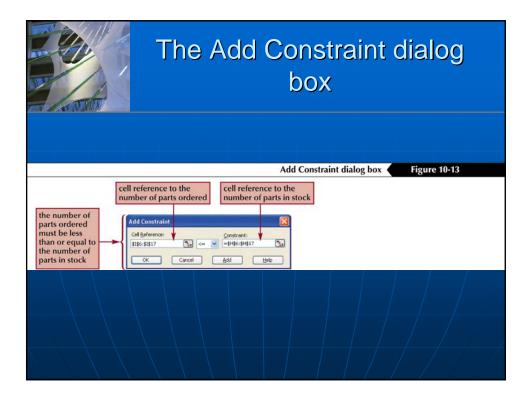
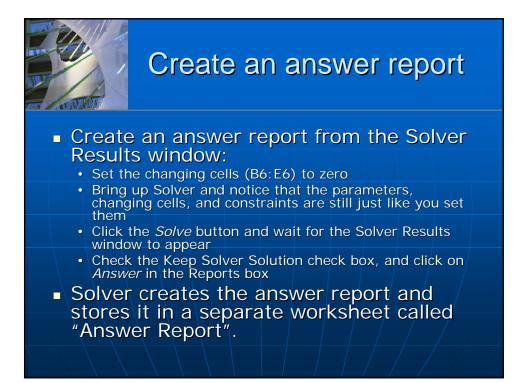
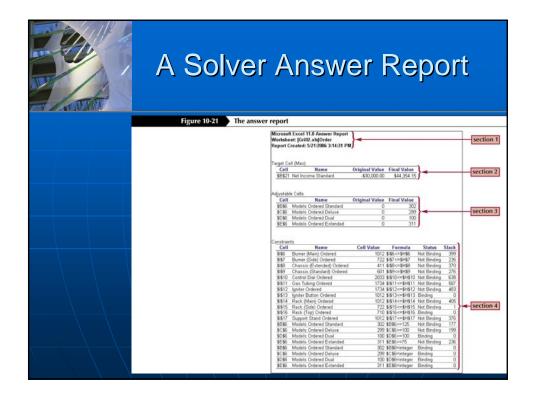


Figure 10-19	The S	olve	er F	?e	sult	S	b	0>	K		
rigure 10-19	Final Solver solution										
	Microsoft Excel - Grill2								- 6		
	Solver Results					Type a question for help • _ Ø ×					
				_	AT 211 00 35 10		-				
	Solver found a solution. All cons conditions are satisfied.	trants and optimality	Reports		24 34 1 1 10% · 0 ;						
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	Keep Solver Solution		Sensitivity							_	
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	2 OK Cancel	Save Scenario.		¢		_				-	
	4 Income Analysis				Parts Inventory						
	5 Variable Expenses	Standard Deluxe	Dual	Extended	Description	Available	Ordered R	emaining	Cost		
	6 Models Ordered	302 29	9 100	311	Eurner (Main)	1411	1012	399	\$12.15		
	7 Cost of Parts	\$96.50 \$105.1	5 \$155,20	\$178.00	Burner (Side)	957	722	235	\$8.25		
	8 Cost of Assembly	\$10.00 \$10.0		\$25.00	Chassis (Extended)	781	411	370	\$65.25		
	9 Total Model Cost	\$106.50 \$115.1		\$203.00	Chassis (Standard)	877	601	276	\$35.50		
	10 Total Variable Expenses	\$147,245.8	5		Control Dial	2671	2033	638	\$2.50		
	11				Gas Tubing	2321	1734	587	\$3.50	-	
	12 Revenue	Standard Deluxe		Extended	kynter	2217	1734	483	\$2.25		
	13 Models Sold 14 Price per Model	302 29 \$155.00 \$175.0		311 \$315.00	Igniter Button	1012	1012	405	\$5.20		
	15 Total Revenue	\$221,600,0		\$315.00	Rack (Main)	1417	1012		\$10.30		
	16 16	\$221,500.0	1		Rack (Side) Rack (Top)	723	722	1	\$6.30 \$6.15	-	
	17 Summary				Support Stand	1388	1012	376	\$25.10		
	18 Total Revenue	\$221,600.0			SAPPORT SHERE	1300	1012	3/0	\$23.10	-	
	19 Total Variable Expenses	\$147,245.8			Parts Required for	Fach Mod	el				
	20 Total Fixed Expenses	\$30,000.0			Description	Standard		Dust	Extended		
	21 Net Income	\$44,354,1			Burner (Main)	1	1	1	1		
	22				Burner (Side)	0	0	1	2	-	
					and the second second		-				
	H + + H Documentation)	Order /			<				>	1	





Solver is designed to use an iterative process:

- It starts with an initial solution, and then does the problem over and over, using different values in the changing variables
- When a change to a variable results in a better solution, Solver makes another change to the same variable in the same direction
- When a change results in a worse solution, Solver does not make any more changes to that variable in that direction
- Solver continues to make changes and re-run the problem, until it arrives at a solution that is not significantly better than the previous one.
- At that point, Solver reports success.